Glossary of mathematical terms to support the Mathematics Primary School Curriculum

|  | Term | Diagram, definition, explanation, example |
| :---: | :---: | :---: |
| A | abacus | This helps to perform calculations by sliding beads along rods. |
| A | acute | This is an angle that is greater than $0^{\circ}$ but less than $90^{\circ}$. |
| A | algorithm | This is a step by step procedure that gives the solution of a particular problem. Multiplication and division in numbers are examples of how we use algorithms to find answers in an efficient way. |
| A | analogue clock | This is a clock on which hours, minutes and sometimes seconds are indicated by hands on a dial. |
| A | angle | This is made when two line segments meet at a point (vertex), or when two lines intersect. It is be measured in degrees and can be acute, right, obtuse or reflex. |



| B | bar chart | This is a diagram used to display data in rectangular bars. It is used to summarise and display information in a diagram. In general there should be spaces between the columns. |
| :---: | :---: | :---: |
| B | bar-line graph | This is a way to show and compare data by using horizontal or vertical lines. The bars in a bar chart are simply replaced by straight lines. |
| B | base ten materials | This is used for teaching place value and volume. There are ten small cubes in one long, ten longs in one flat, and ten flats in one block. |
| B | block graph | This is an introductory way of representing discrete (separate) data, in which each member of the population is represented by an individual square. In general there should be spaces between the columns. |


| C | cardinal number | This is the number of elements in a set. The symbol for it is \#. Example: $\mathrm{W}=\{3,45,17$, bear, $z\} \quad \# W=5$ |
| :---: | :---: | :---: |
| C | capacity | This is the internal volume of a container or simply the amount that a container can hold. <br> Example: The capacity of the bucket is twenty litres so it takes a volume of twenty litres of water to fill it. |
| C | chance | This is measurement that applies to events. Chance does not tell you what will happen next but predicts what will happen in the long run. <br> Example: Tossing a coin <br> How many heads/tails might turn up in 10, 20, 30 times? <br> Would the results be the same if the experiment was repeated? |
| C | circumference | This is the length of the perimeter of a circle. |
| C | clustering strategy | This is a form of estimation that is best suited to groups of numbers that 'cluster' around a common value. <br> Example: Numbers of people who came to our concert <br> The average attendance was about 500 per night. $500 \times 5 \text { nights }=2,500$ |
| C | commutative | This is a property of the number operations addition and multiplication. In addition $1+2=2+1$, i.e. it works both ways, it is commutative. In subtraction or division it does not work both ways, e.g. 6-7 $\neq 7$ 7-6. |


| C | common factor | This is a number that divides evenly into more than one other number. (See factor) <br> Examples: 16 has factors $\mathbf{1 , 2 , 4 , 8 , 1 6}$ <br> 20 has factors $1,2,4,5,10,20$, <br> 36 has factors $\mathbf{1 , 2 , 3 , 4 , 6 , 9 , 1 2 , 1 8 , 3 6}$ <br> 1,2 and 4 are the common factors and 4 is the highest common factor. |
| :---: | :---: | :---: |
| C | complementing | This is a form of subtraction. <br> Example: There are 10 stickers in a set. I have 4. How many more do I need to make a full set? |
| C | complement of a set | These are the elements not in a set. <br> Example: The set $P=[1,2,3]$ the complement $P^{\prime}=[4,5]$ |
| C | components of number | This is the combination of ways in which a number can be made. <br> Example: The number 4 can be made up of $1+1+1+1,2+2,3+1,1+3$ etc. |
| C | composite number | This is a number with more than two factors. Example: 6,12, 51, 65 |
| C | congruent | These are 2D shapes that have identical properties and are exactly the same size, shape and measure of angle. |
| C | conjecture | This is an unproven statement which appears correct and has not been proven to be true or false. <br> Example: There is no biggest prime number. |
| C | conservation of number | This means that numbers can be counted in any order. The set does not need to exhibit uniformity. |


| C | co-ordinates | These are the numbered pairs used to locate points on the plane. The plane is a flat surface, often referred to as the Cartesian plane. <br> There are some points shown in the four quadrants of the Cartesian plane. |
| :---: | :---: | :---: |
| C | cylinder | This is a three-dimensional shape consisting of two identical circular ends joined by one continuous curved surface. |
| D | data | This is information. Data handling involves practice in questioning, collecting information, analysing and recording or representing data visually using some form of a graph or table. <br> Example: See block graphs, bar charts, bar-line graphs, pictograms. |
| D | deducting | This is a form of subtraction. Example: I had 10 sweets, I ate 3 . How many have I left? |
| D | denominator | This is the number below the line in a fraction. |
| D | diameter | This is a chord through the centre of a circle. It is twice the radius in length. |


| D | difference | This means subtraction. <br> Example: The difference between two numbers such as 22 and 17 is $22-17=5$. 5 is the difference. |
| :---: | :---: | :---: |
| D | digit | These are the individual symbols used to build up numerals in a numeration system. $0,1,2,3,4,5,6,7,8$, and 9 . |
| D | direct proportion | These are when two sets are connected by a constant multiplier. $A=\{12,24,36\} \quad B=\{3,6,9)$. Set $A$ is in direct proportion to set $B$ and the constant multiplier is 4 . |
| D | discount | This is a reduction (usually a percentage). This is associated with money. |
| D | distributive | This is a property of number operations. <br> It describes how two operators can be used together when linked in a certain way. It does not always work. <br> $5(4+3)=5(7)=35$ and this equals $5(4)+5(3)=20+15=35$, i.e. multiplication is distributive over addition. <br> $5(20 \div 5)=5(4)=20 \neq 5(20) \div 5(5)=100 \div 25=4$, so multiplication is not distributive over division. |
| D | dividend | This is a number or quantity to be divided by another number or quantity. Example: $24 \div 6=4,24$ is the dividend. |
| D | divisor | This is the number that does the dividing. $36 \div 9=4$, the number 9 is the divisor. |
| E | edge | This is the intersection of two surfaces; in particular, the straight line where two faces of a polyhedron meet. |
| E | element | This is a member of a set. <br> Example: $A=\{d o g$, fridge, 17, Liverpool\}. There are four elements in the set $A ; \operatorname{dog}$ is one of the elements. |
| E | empty number line | This is a number line without a scale, used to support mental and informal additions and subtraction. $\square$ |


| E | equation | This is a maths statement in symbols that includes an equals sign (equality). Example: $2 b+4 c=34$ |
| :---: | :---: | :---: |
| E | equivalent | This means 'has the same value as'. Example: $1 / 2,0.5$, and $50 \%$ are equivalent. |
| E | estimate | This is an approximation to an answer. |
| E | expanded form | This is when the value of each digit in a numeral is written in its entirety. Example: $246=2$ hundreds +4 tens +6 units or $200+40+6$ |
| E | experiment | This is an activity which allows information/data to be collected and recorded (often called the results of the experiment). <br> Example: rolling a pair of dice and recording the total. |
| E | exponential | This is an expression in which a number is raised to some power. The power is the exponent. (see power) $6^{2}, 8^{3}, 12^{9}$ |
| F | face | One of the plane surfaces of a polyhedron. A cube has six faces. |
| F | factor | This is a whole number or expression that divides evenly into another number. <br> Example: 24 has eight factors including itself and one;1,2,3,4,6,8,12,24 <br> Prime numbers such as 7,11 , and 23 have exactly two factors. |
| F | foreign exchange rate | This is the value one currency has in relation to another. <br> Example: Foreign exchange rate. $€ 1.00=\$ 1.39$ thus $€ 100=\$ 139$. $\$ 2085=2085 \div 1.39=€ 1500$ |
| F | formula | This is an easy way of expressing information using symbols. Example: Area of a triangle ( $1 / 2 \mathrm{x}$ base x height) $=1 / 2 \mathrm{bh}$ |


| F | frequency | This is the number of times an event occurs in an experiment. Frequencies are often summarised in a table or a histogram. <br> Example: in nine soccer matches played on a school pitch during a tournament the number of goals scored was recorded as $0,1,1,0,2,2,0,2,0$. This information could be summarised in a frequency table: |
| :---: | :---: | :---: |
| F | friendly numbers | There are two numbers that are related to each other in a way that makes a calculation particularly easy. <br> Example:457-257 |
| F | front-end strategy | This is a form of estimation that has its strongest application in addition. The leftmost digits (front-end) are the most significant in forming an initial estimate and can be used on their own in the earlier stages to establish a rough estimate. <br> Example : $€ 1.54+€ 6.35+€ 0.99+€ 2.51=$ $€ 1+€ 6+€ 2=€ 9$ <br> $54 c+35$ c makes $€ 1$ approx, 99 c is nearly $€ 1$ and 51 c is nearly 50 c <br> Overall estimate is $€ 11.50$ ( $€ 9+$ cent estimate of $€ 2.50$ ) |
| G | geoboard | This is used for learning about co-ordinates as well as making 2D shapes using elastic bands. |
| G | Geostrips | These are used to construct 2D shapes. |
| H | highest common factor (hcf) | This is the largest whole number than divides into two or more whole numbers (see common factor). <br> Example: hcf of 16,28 and $36=4$ |
| H | hectare | This is a unit of area equal to 100 ares. |


| H | hexagon | This is a six-sided polygon. |
| :---: | :---: | :---: |
| I | improper <br> fraction | This is a fraction in which the number above the line (numerator) is larger than the number below (denominator). <br> Example: $\frac{5}{3}$ |
| I | integers | These are whole numbers, plus and minus, including zero. The set of integers is represented by the letter $Z$. <br> Examples: -12, $-6,8,0,257,-4398$ are integers. |
| I | interest rate | This is the percentage of total earned on an investment or paid on a loan. <br> Example: $€ 100$ invested in a bank for 1 year at an interest rate of $10 \%$ will accumulate to $€ 110$. |
| I | inverse | This means 'the opposite' in many cases. <br> The inverse of addition is subtraction. The additive inverse of a number is the number you add to it to give zero. The additive inverse of -8 is 8 . The multiplicative inverse is the number you multiply by to give 1 . The multiplicative inverse of 7 is $\frac{1}{7}$. |
| K | kilogram | This is the unit of mass (1000 grams) $1 \mathrm{~kg}=1000 \mathrm{~g}$ |
| L | line segment | This is a part of a line. <br> It has endpoints, by which it is identified or named. The line segment [AB] is illustrated. |


| L | line symmetry | This is when one half of the shape can be folded exactly onto the other half. |
| :--- | :--- | :--- |


| M | millimetre | This is one thousandth of a metre, written 1 mm . |
| :---: | :---: | :---: |
| M | minus | This can be an operation or a property. <br> Example: 12-8=4 is the operation of minus. -39 is described as negative thirty nine or minus thirty nine and this is a property. |
| M | mixed numbers | This is when a number is written with a whole number part and a fraction part. Example: $7+\frac{3}{8}=7 \frac{3}{8}$ |
| M | mode | This is the most commonly occurring value in a set of data. Example:12, $\underline{34}, 25,17, \underline{34}, 56,12,67,43,68,93, \underline{34}, 33,21,25$ the mode is 34 |
| M | multiple | This is when a number is made by multiplying it by another number. Example: The multiples of 7 are 7, 14, 21, 28, 35, 42. |
| N | natural <br> numbers | The set of counting numbers starting at 1 . They are represented by the letter N . Example: $\mathrm{N}=\{1,2,3,4,5,6,7,8,9,10 \ldots \ldots \ldots \ldots\}$ |
| N | notation board | This is used for learning about place value. |
| N | negative | This is a property of a number often referred to as the sign of it. A negative number is less than zero (see minus). <br> Example: - 20 |
| N | net | This is the plan of a 3D object. <br> Example: A cube with the net beside it. |


| N | null set | This is a set that contains no elements. <br> Example: $\mathrm{T}=\{$ The number of Irish people 5 m tall $\}$. $\mathrm{T}=\{ \}$ <br> The symbols used to show the null set are shown below. |
| :---: | :---: | :---: |
| N | number line | This is a straight line, on which points are used to represent numbers, emphasising particularly the order of numbers and their position in relation to each other. |
| N | number <br> sentence | This is an equation or statement of inequality. Examples: $4-x=11,4 x^{2}<12$ or $2+5=7$ |
| N | numerator | This is the number above the line in a fraction. |
| 0 | obtuse | This is an angle that is greater than $90^{\circ}$ but less than $180^{\circ}$. |
| 0 | oblique lines | These are lines that are neither parallel nor perpendicular. They would form either an acute or obtuse angle if they intersected. |


| 0 | octahedron | This is a 3D shape with eight faces. |
| :---: | :---: | :---: |
| 0 | ordinal number | This is a number denoting relative position in a sequence. Example: first, second, third. $\qquad$ |
| 0 | outcome | This is the result of an experiment. <br> Example: Roll a die as an experiment and the outcome is a number between 1 and 6. |
| P | parallel | This is when a line runs at an equal distance apart from another line and they never meet. |
| $\mathbf{P}$ | perimeter | This is the sum of the length of the sides of a figure or shape. |
| $\mathbf{P}$ | perpendicular | This is when two lines meet at right angles $\left(90^{\circ}\right)$. |


| P | pictogram | This is a way of representing discrete (separate) data, in which each member of the population is represented by an individual picture or icon arranged in rows or columns. |
| :---: | :---: | :---: |
| P | pie chart | This is a diagram in the shape of a circle or disc that is used to represent data. The $360^{\circ}$ of the disc is divided in ratio into pieces of the pie. |
| P | place holder | This is the role of zero in the place-value system of numeration. <br> Example: In the numeral 507 the 0 holds the tens place to indicate that there are no tens here. |
| P | place value | This is when the position of a digit in a numeral determines its value. <br> For example, '6' can represent six, sixty, six hundred, six tenths, and so on, depending on where it is written in the numeral. $\begin{array}{\|llll} \hline 6 & 60 & 600 & 0.6 \end{array}$ |
| P | plane figure | This is a 2D shape. <br> Examples: |
| P | plus | This is the operation of addition or a property of a number. <br> Examples: Addition $4+15=19$ <br> or <br> the number plus six +6 , which can be written as 6 |


| P | polygon | This is a two-dimensional (2D) closed shape made up entirely of straight edges. It does not have to be regular. <br> Examples: |
| :---: | :---: | :---: |
| P | polyhedron | This is a three-dimensional (3D) shape made up entirely of flat surfaces. It does not have to be regular Examples: |
| P | prime number | This is a number with exactly two factors, itself and 1 . Examples: 2, 3, 5, 7, 11, 13, 17, 19, 23, 29, |
| P | prism | This is a shape made up of two identical polygons at opposite ends, joined up by parallel lines. |
| P | probability | This is the study of chance; its value varies between 0 and 1. Example: The probability of a fair coin landing on heads $=0.5$ |
| P | product | This is the result when you multiply two numbers. Example: $21 \times 8=168$ |
| P | profit | This is the measure of gain in a financial transaction. |


| P | protractor | This is a geometric instrument for measuring angles. |
| :---: | :---: | :---: |
| P | positive | This is a number which is greater than zero. Example: $\sqrt{2}, 51 / 2,7.09,16$ |
| P | power | This is how often a number is multiplied by itself. It is also known as the index. Example: $3^{4}=3 \times 3 \times 3 \times 3=81$ |
| Q | quadrilateral | This is a shape with four sides. <br> Example: <br> A rhombus is a four-sided shape with all of its sides equal in length. |
| Q | quotient | This is the result of a division. Example: $\frac{24}{8}=3$ |
| R | radius | This is a line joining the centre of a circle to the edge of the circle. It is half the diameter in length. |
| R | range | This is the difference between the smallest and the largest piece of data in a set. Example: The range of four people with heights of $160 \mathrm{~cm}, 155 \mathrm{~cm}, 180 \mathrm{~cm}, 178 \mathrm{~cm}$ is $180-155=25 \mathrm{~cm}$ |
| R | ratio | This is a comparison of two or more quantities. <br> Example: When making concrete you mix 9 parts of gravel with 2 parts cement. <br> The ratio of gravel to cement is 9:2 |


| R | rational numbers | This is a set of numbers which includes whole numbers, minus numbers, zero, fractions and decimals. They are represented by the letter $Q$. <br> Examples: -97, 128, 0, $\frac{3}{7},-\frac{12}{19}, 0.529,-17.64$ |
| :---: | :---: | :---: |
| R | rectangular number | There can be found by using the unit dots to make triangles or the product of consecutive natural numbers. |
| R | reflex angle | This is an angle that is greater than $180^{\circ}$ but less than $360^{\circ}$ (see angle) |
| R | regrouping/ renaming | This is when a numeral is reconfigured into its equivalent but different form. <br> Example: 372 can be regrouped/renamed as 36 tens and 12 units. $1 \mathrm{~m} 11 \mathrm{~cm}=1^{11} / 100 \mathrm{~m}=1.11 \mathrm{~m}$ <br> Note: We use addition with regrouping/renaming when the sum of the numbers along the same column is greater than 9 . <br> Regrouping/renaming takes place in subtraction if any of the digits in the larger number is smaller than any of the digits involved in the smaller number. |
| R | relative frequency | This is the number of times an event happens divided by the total number of experiments. <br> How often the number 5 occurs when rolling a biased die twenty times. |


| R | right angle | This is an angle of $90^{\circ}$. |
| :---: | :---: | :---: |
| R | rounding | This is the process of approximating an answer to an appropriate degree of accuracy; this can be done by rounding up or rounding down. <br> Example: $€ 25.37$ rounded up to the nearest ten cent is $€ 25.40$ <br> $€ 24.14$ rounded down to the nearest ten cent is $€ 24.10$; |
| S | scalene triangle | This is a triangle with three sides of different length and, therefore, three differentsized angles. |
| S | sequence | This is a set of numbers written in order according to a rule. |
| S | set | This is a well defined collection of objects. Example: S = \{ dog, cat, elephant, giraffe\} |
| S | set diagram | This is the simplest picture of a population sorted into subsets; each subset is represented by an enclosed region (such as a circle) with the names of the items of individuals rather than just one. |
| S | side | These are the straight edges of a closed two-dimensional shape. |



| S | subitise | This is to tell at a glance, without counting, the number of items in a set. |
| :---: | :---: | :---: |
| S | subset | This is a set which contains some or all elements of another set. The null set is a subset of every set. <br> Example: Set A= \{Kerry, Tyrone, Dublin, Galway\}, $K$ is a subset of $A$ and could be K= \{Kerry, Tyrone, Galway\}. |
| S | subtraction | This is an operation in Mathematics when the difference of two numbers is found (see difference). <br> Example: $21-13=8 ; \quad-12-4=-16 ; \quad 63-(-12)=63+12=75$. |
| S | subtrahend | This is the number to be subtracted from another number. Example: $10-4$ (4 is a subtrahend) |
| S | survey | This is a method of collecting data often by asking questions of a population or a sample of a population. |
| T | tally | This is made by recording a series of single strokes. Usually every fifth stroke is a bar to the other four for easy counting. |
| T | tangram | This is a Chinese puzzle made up of seven simple geometric shapes, 2 large triangles, 1 medium triangle, 2 small triangles, 1 square and 1 parallelogram which are capable of being recombined in many different figures. |


| T | tessellation | These are shapes that fit together exactly, form a repeating pattern, and make an angle of 360 at the points of contact. <br> Examples: |
| :---: | :---: | :---: |
| T | transition board | This is a simple device to aid children's conceptual understanding of addition and subtraction. |
| T | triangle | This is a three-sided shape. <br> Example: An equilateral triangle had 3 sides of equal length, an isosceles triangle has 2 equal sides and a scalene triangle has no sides of equal length. |
| T | trapezium | This is a four-sided figure with one set of parallel sides. |
| T | trundle wheel | This is an instrument for measuring distance by counting the number of clicks as the wheel revolves. The circumference of the wheel is one metre. |


| V | variable | This is a symbol that represents a value in an algebraic expression. Example: $\begin{aligned} & y+7=12 \\ & Y=5 \end{aligned}$ |
| :---: | :---: | :---: |
| V | vertex | This is a point or corner on a 3D shape or where two shapes meet. |
| V | volume | This is the amount of space taken up by a 3D object. |
| W | weight | This is the gravitational pull exerted on an object. |
| W | whole numbers | These can sometimes mean the Natural numbers (N) but are better described as the integers $(Z)$. $-5,-3,0,17,213,488$ |

